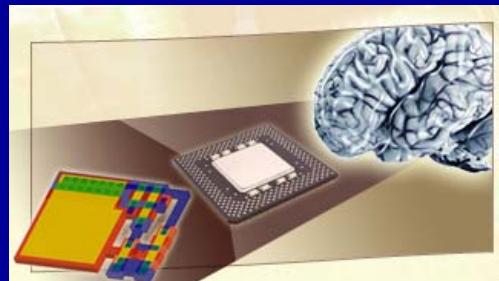


How to outperform a supercomputer with neuromorphic chips



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Acknowledgements



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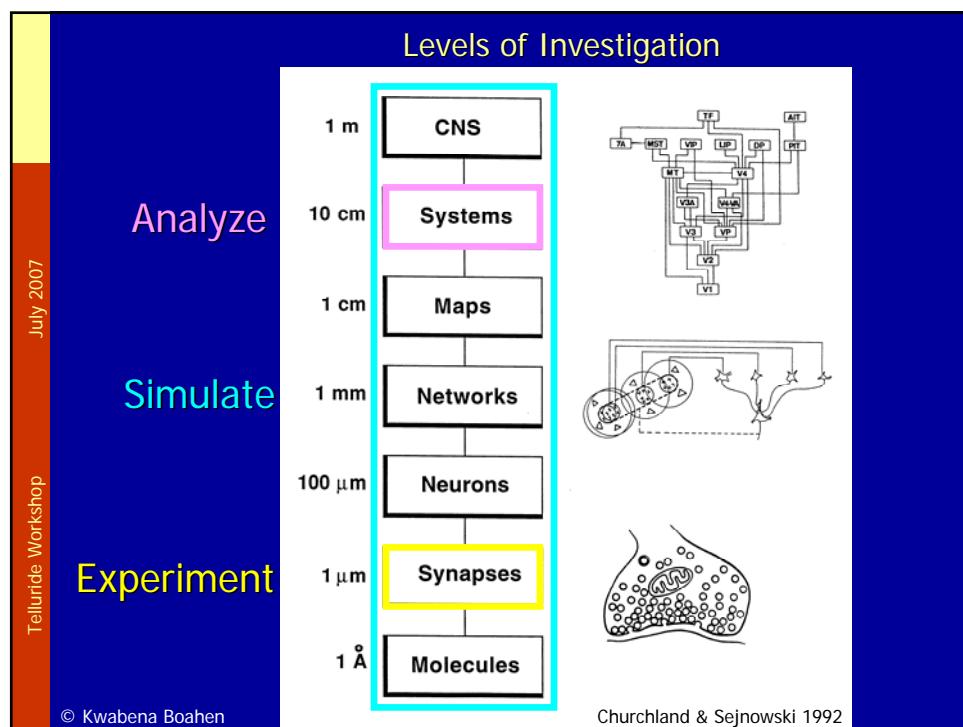
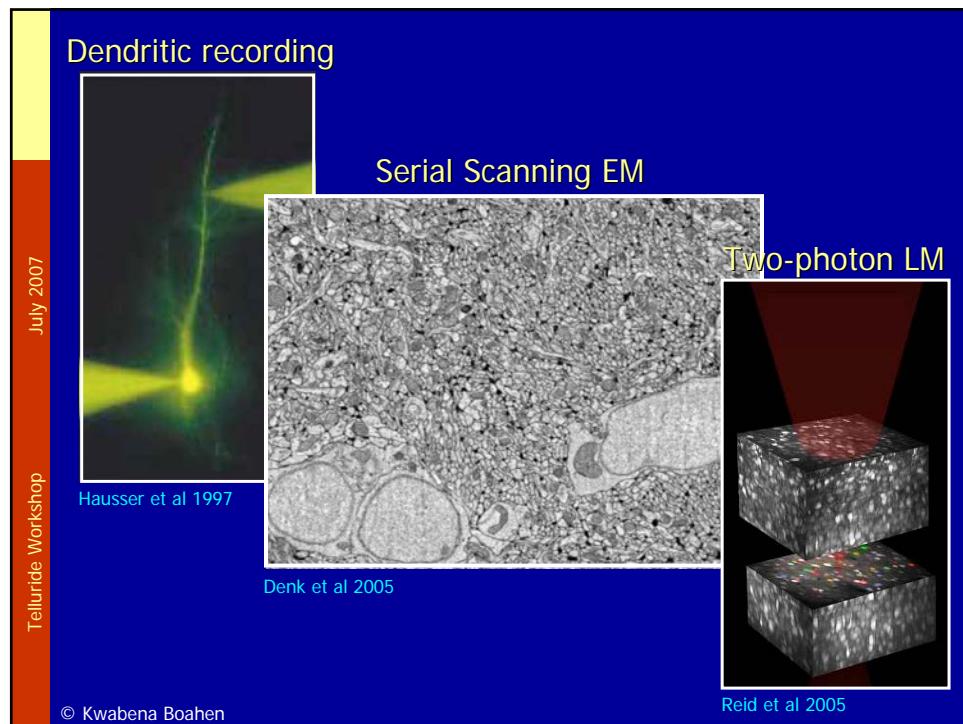
Collaborators
Bert Shi
Rajit Manohar

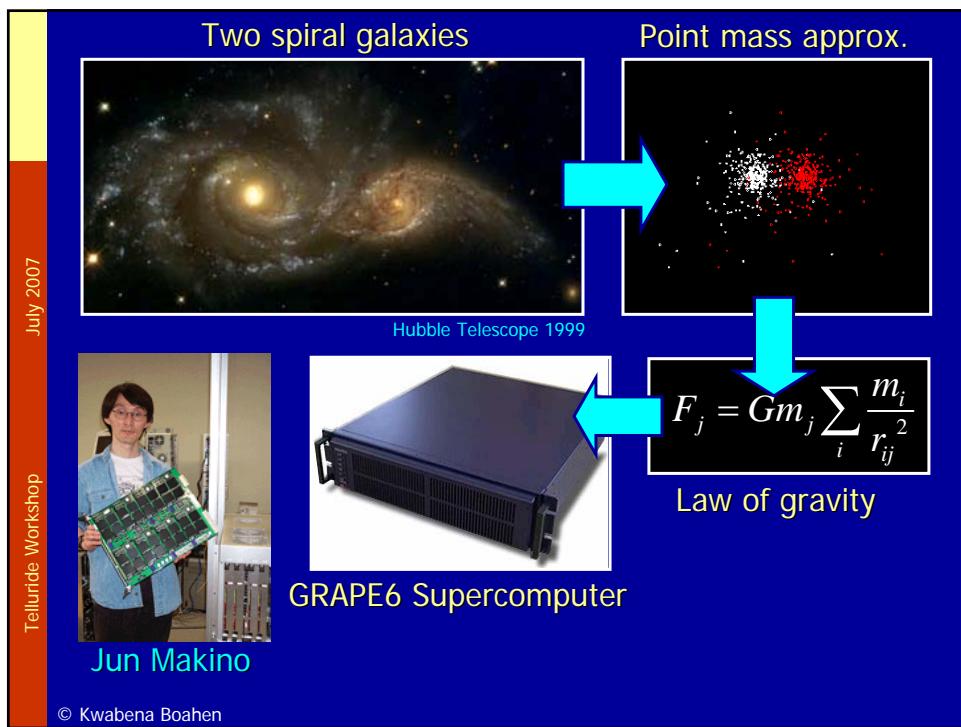
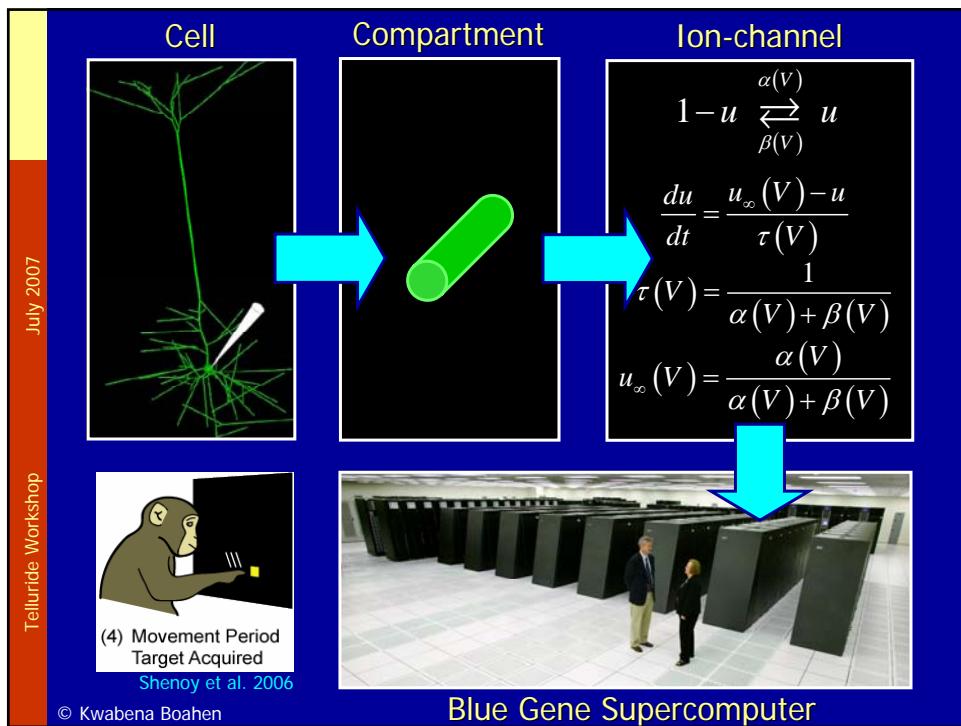
Support
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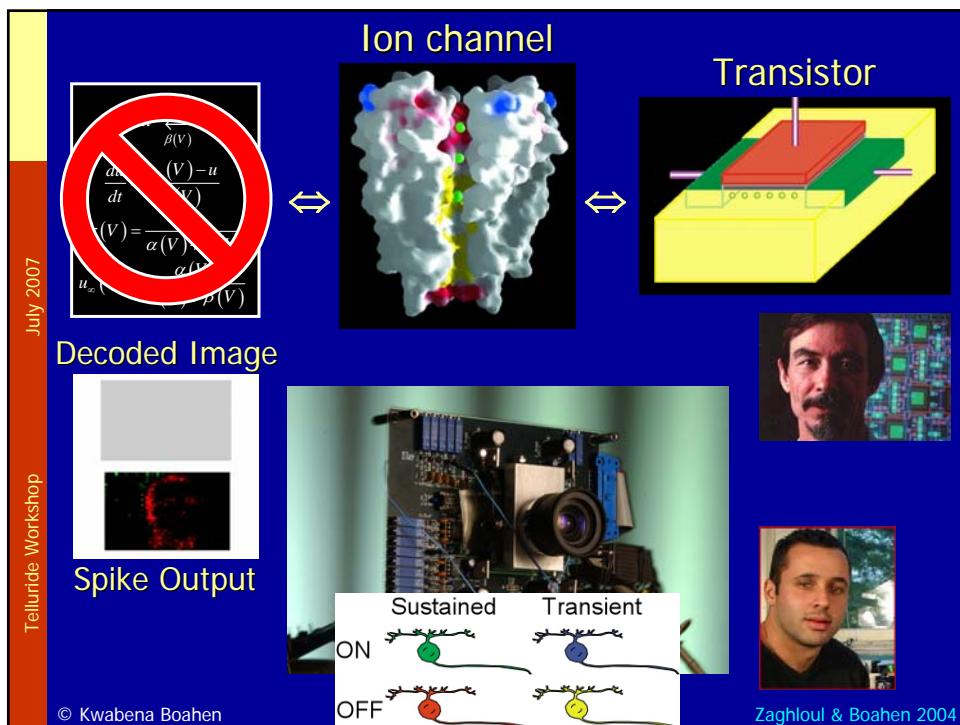
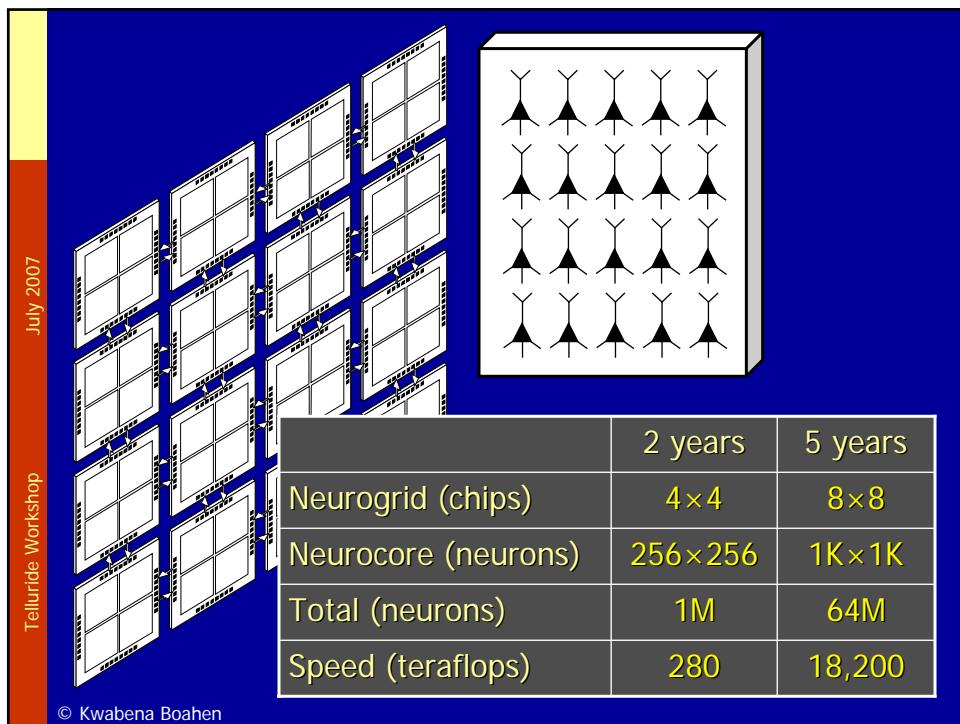
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SCIENTIFIC
AMERICAN
MIMIC THE NERVOUS SYSTEM WITH
**Neuromorphic
Chips**

Differences in
Mice and Human
Brains
The Weird
Warmth of
Asteroids
Stopping an
Influenza Epidemic
K Boahen, May 2005







Limitations of neuromorphic chips as simulation platforms

Specialized circuits

- ❖ Neuronal properties are fixed

Hardwired connections

- ❖ Synaptic organization is fixed

Proposed solutions

Implement Hodgkin-Huxley model

- ❖ Describes various ion-channels

Implement softwires

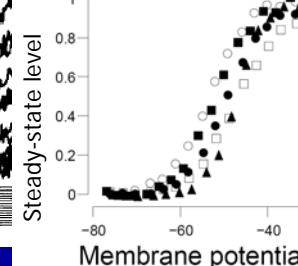
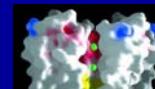
- ❖ User can specify connectivity



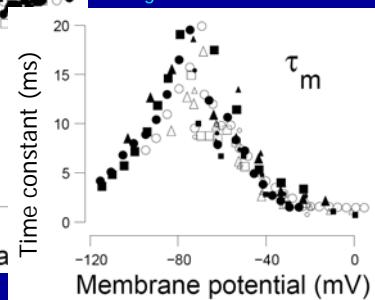
Boahen & Andreou 1992

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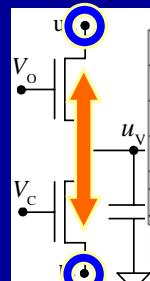
Ion-channel population



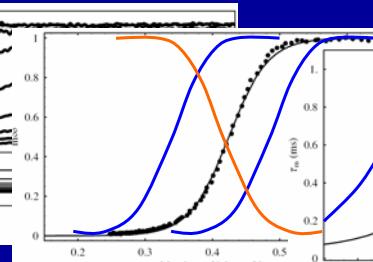
Huguenard & McCormick 1992



Transistor circuit

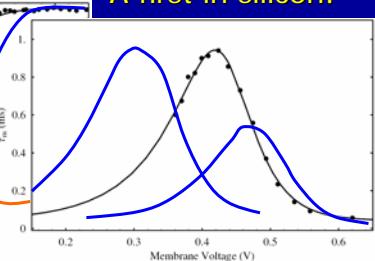


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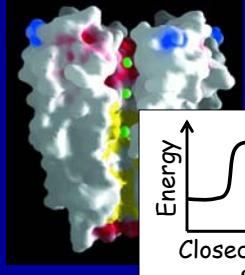
Hynna & Boahen 2006

A first in silicon!

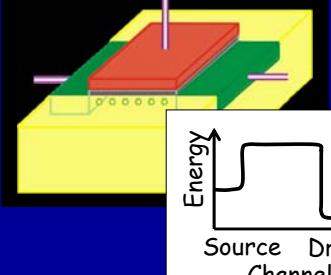


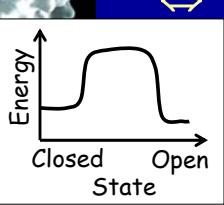
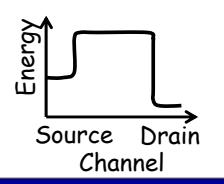
July 2007
Telluride Workshop

Ion channel



Transistor



Transistors and ion-channels are analogs

- ❖ Gating-particles and electrons both overcome their energy barriers at exponential rates.

This observation yields a compact silicon model

- ❖ We modulate the transistor's barrier-height the same way the ion-channel's is modulated.

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July 2007
Telluride Workshop

First-order kinetics

$$1-u \xrightleftharpoons[\beta(V)]{\alpha(V)} u$$

Differential equation

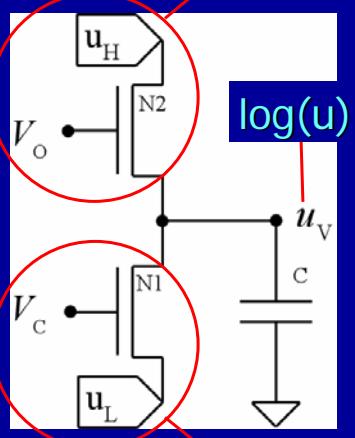
$$\frac{du}{dt} = \alpha(V)(1-u) - \beta(V)u$$

$$= -\frac{1}{\tau(V)}(u - u_\infty(V))$$

Time-constant

$$\tau(V) = \frac{1}{\alpha(V) + \beta(V)}$$

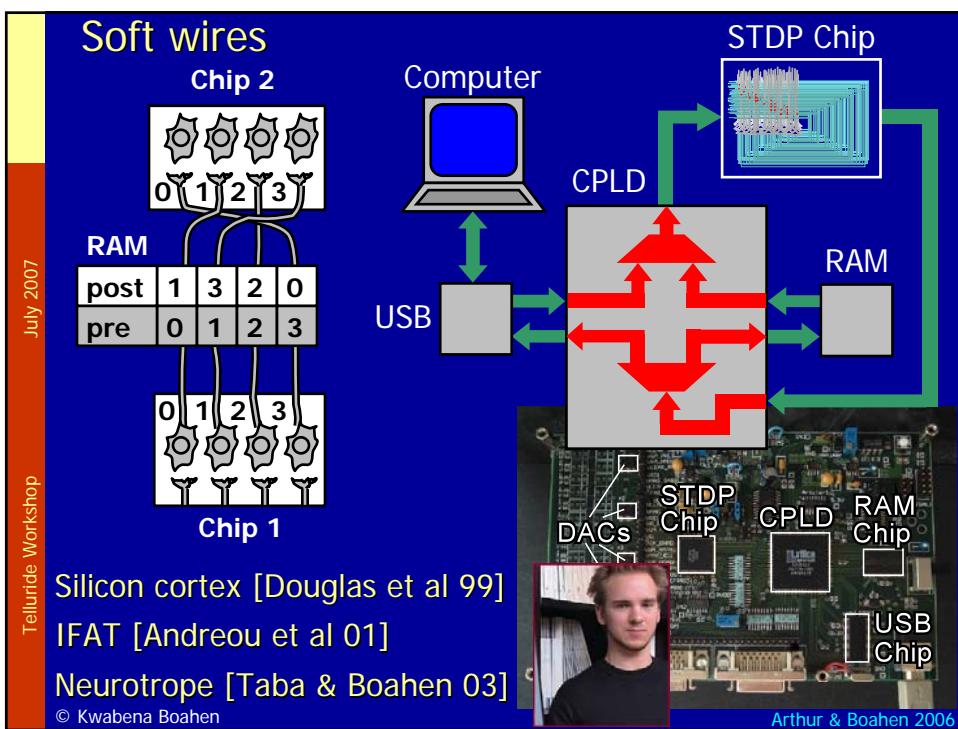
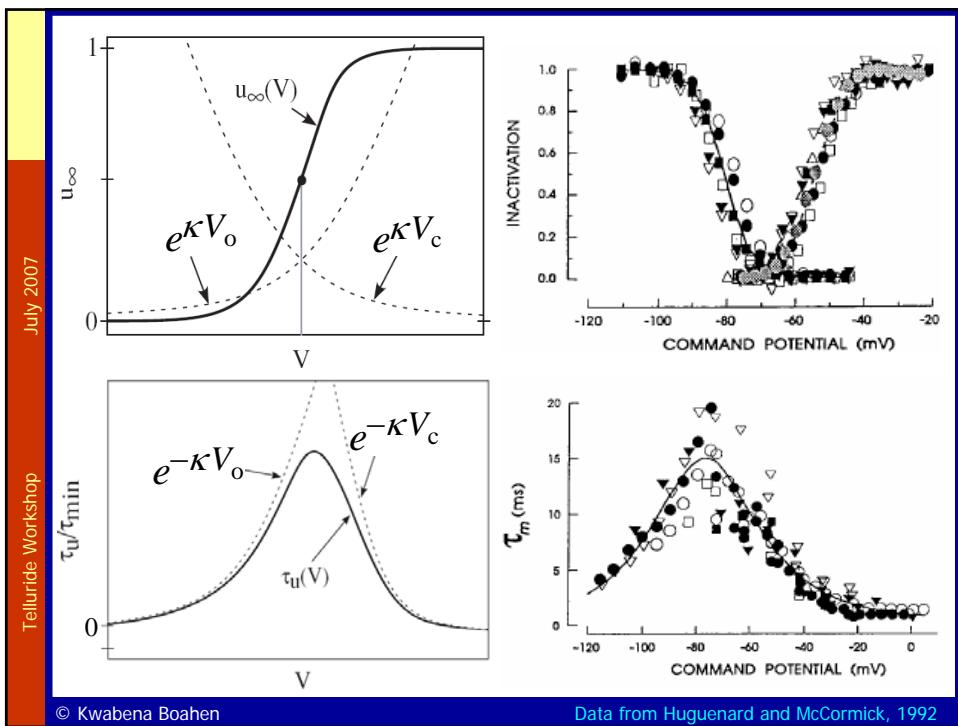
Opening rate

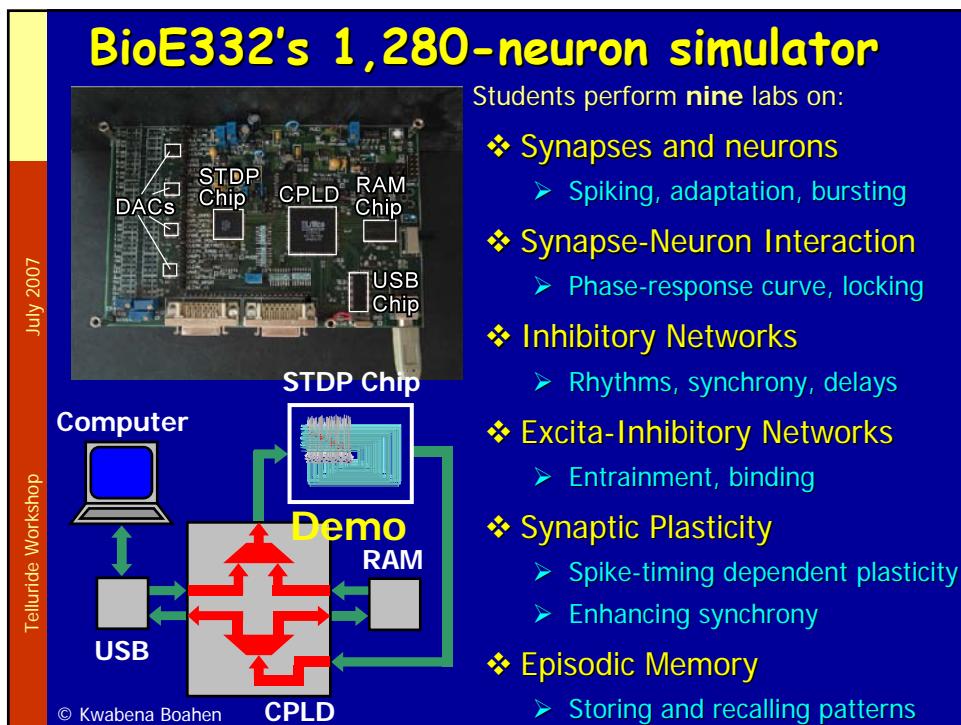
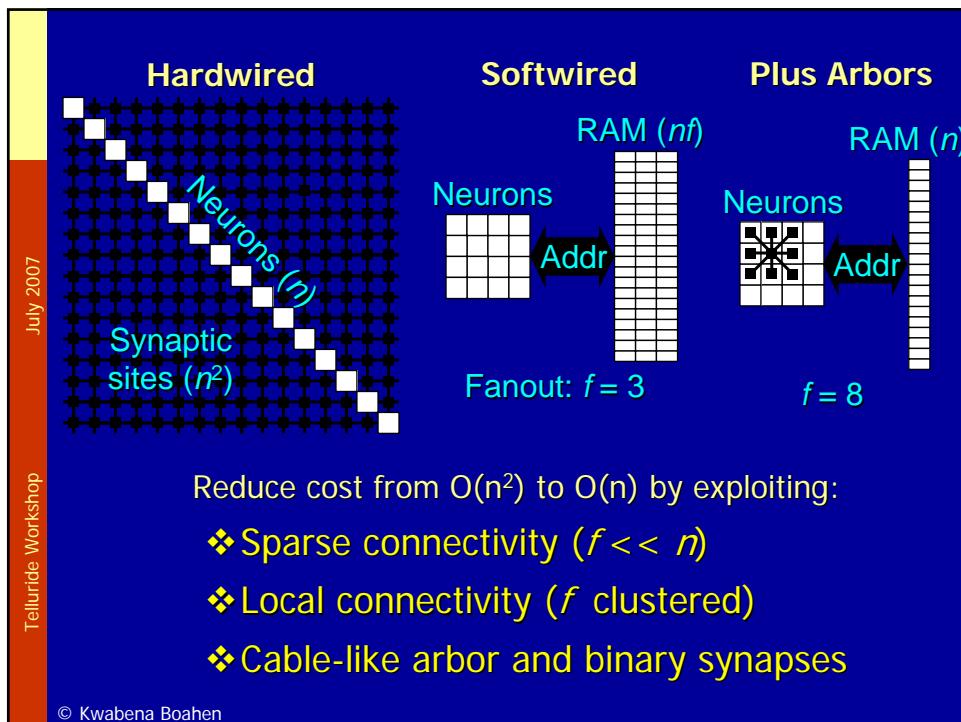


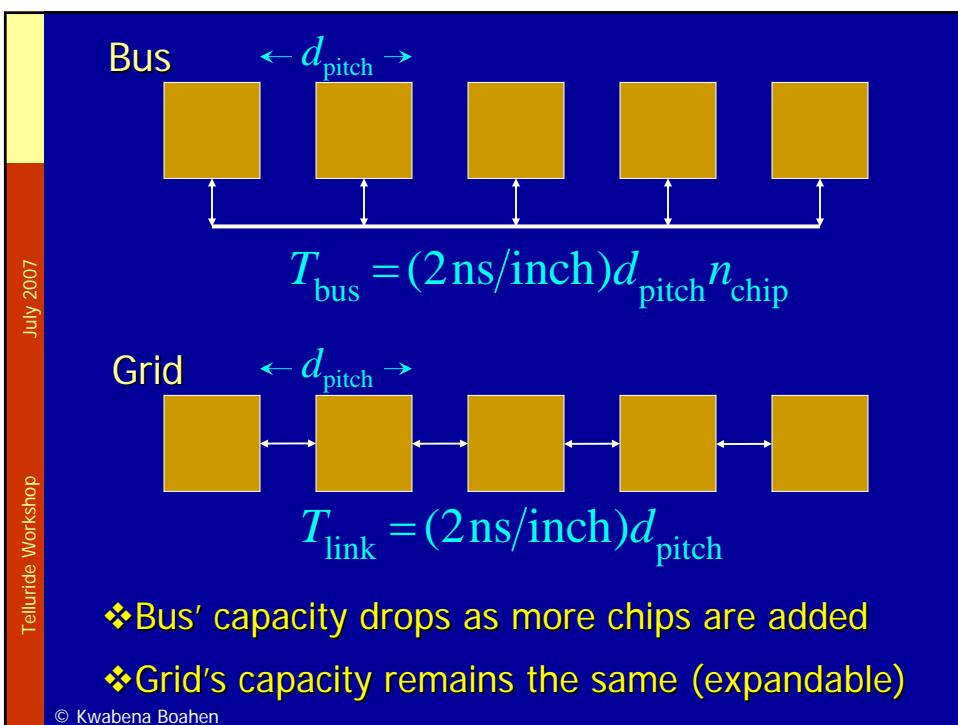
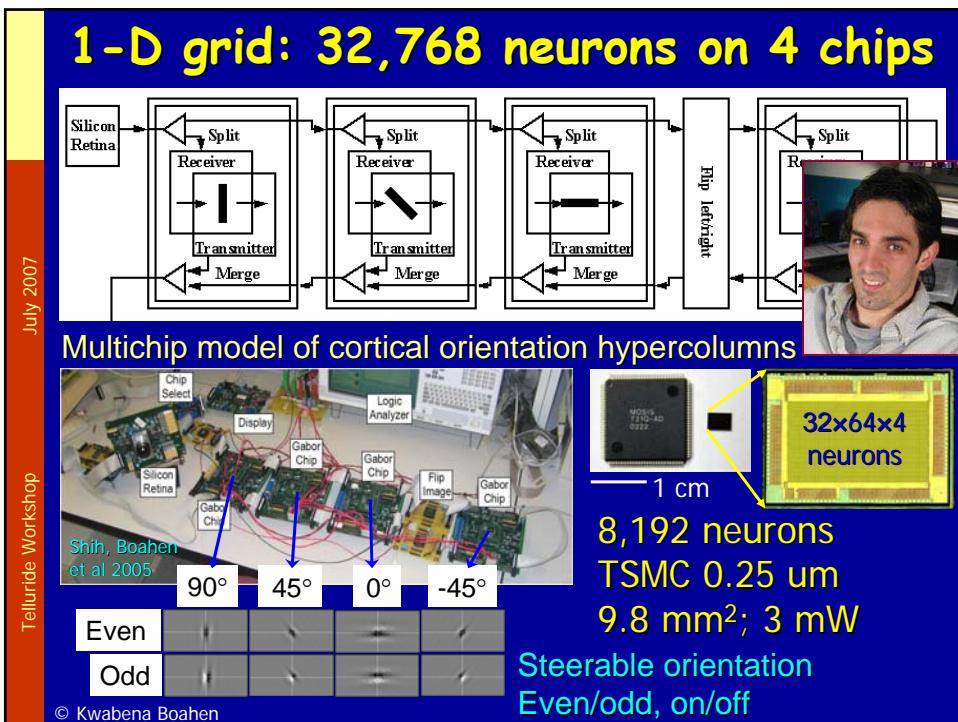
Closing rate

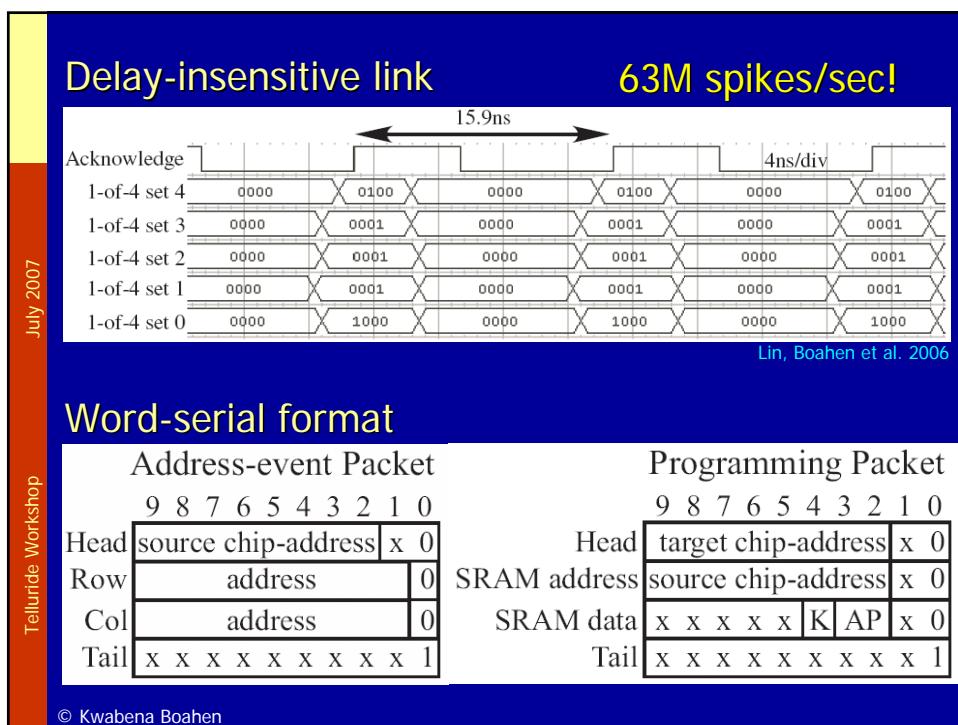
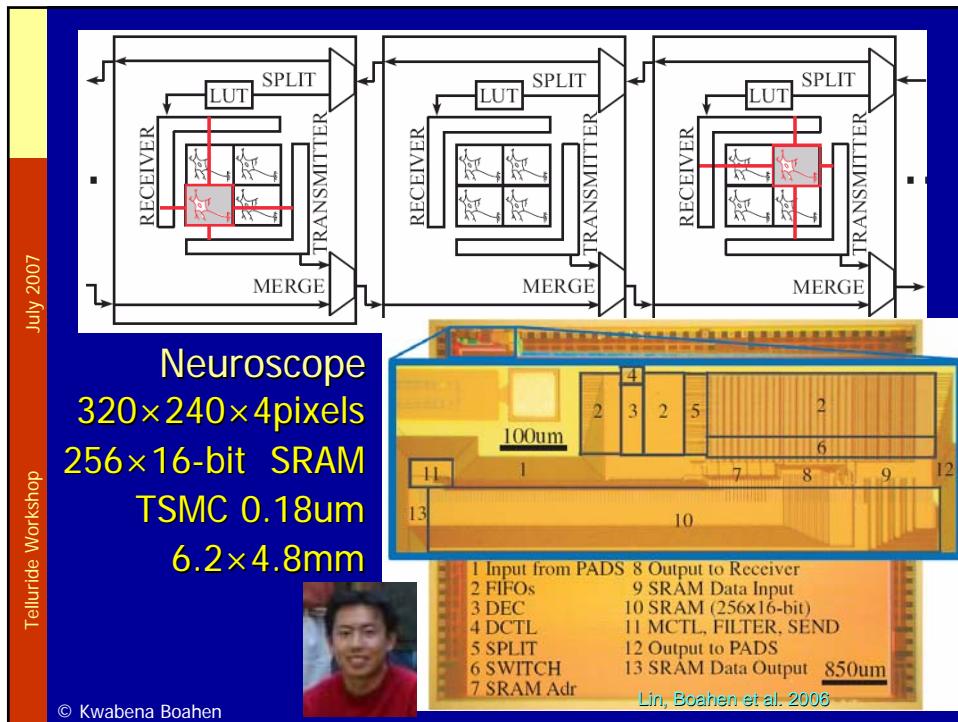
$$u_\infty(V) = \frac{\alpha(V)}{\alpha(V) + \beta(V)}$$

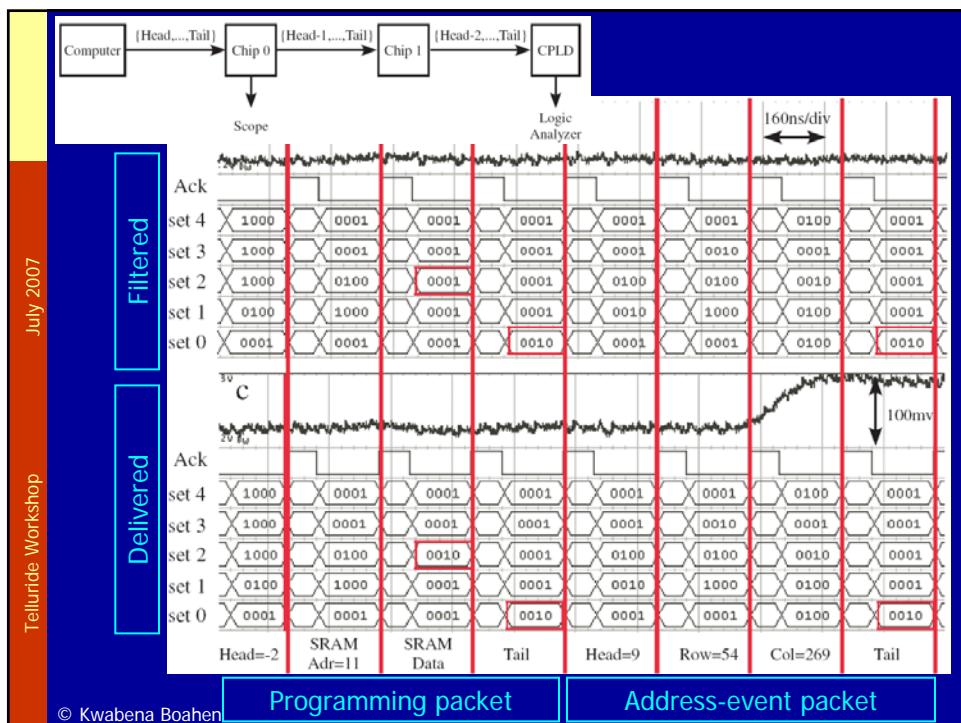
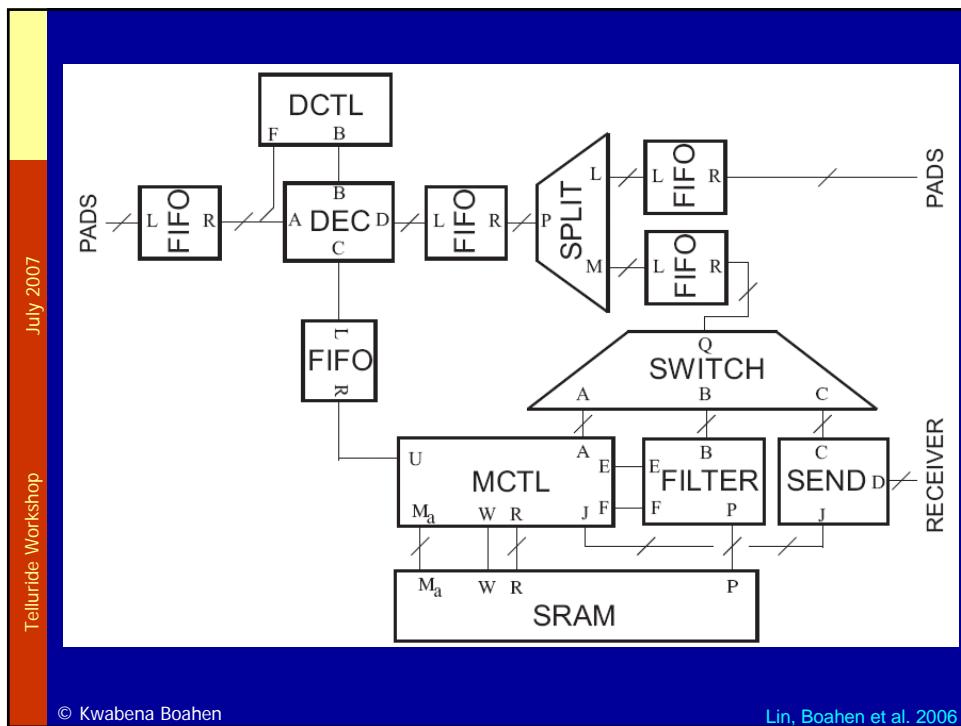
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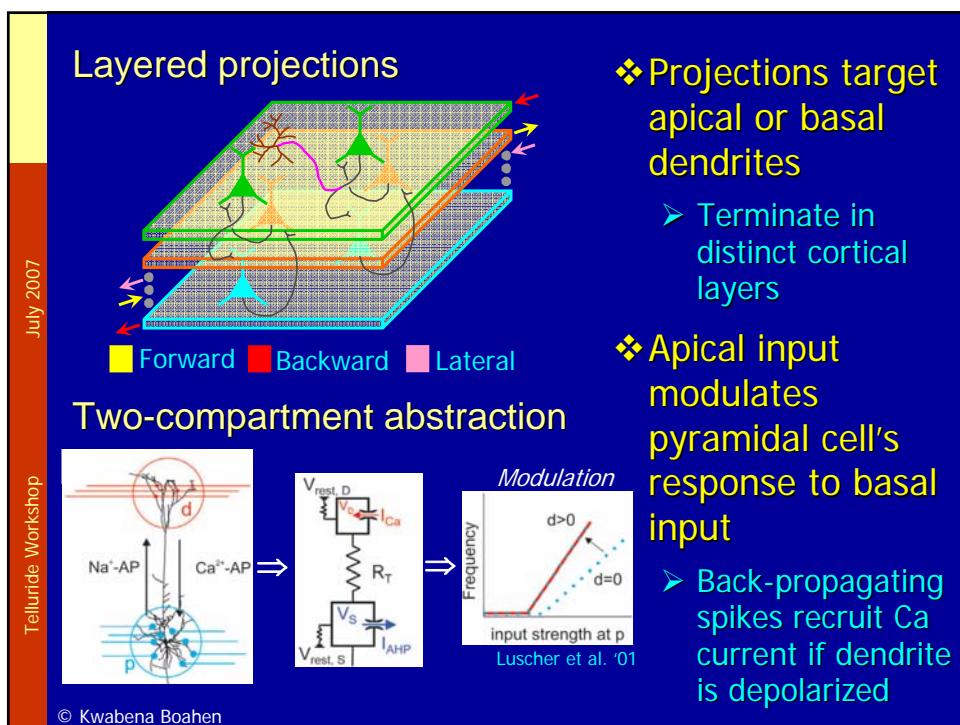
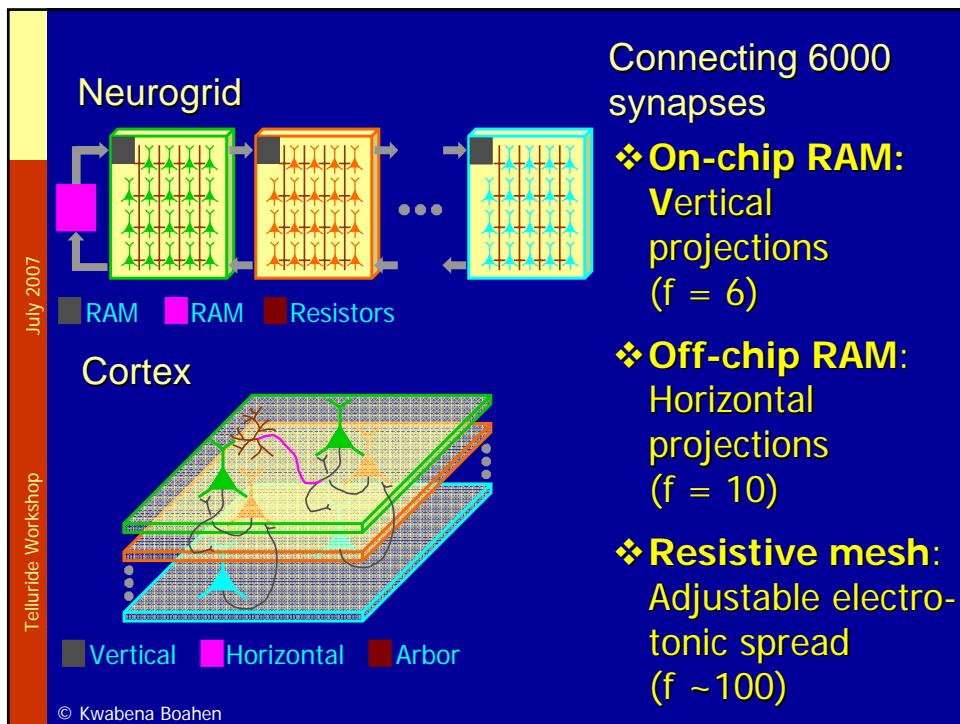


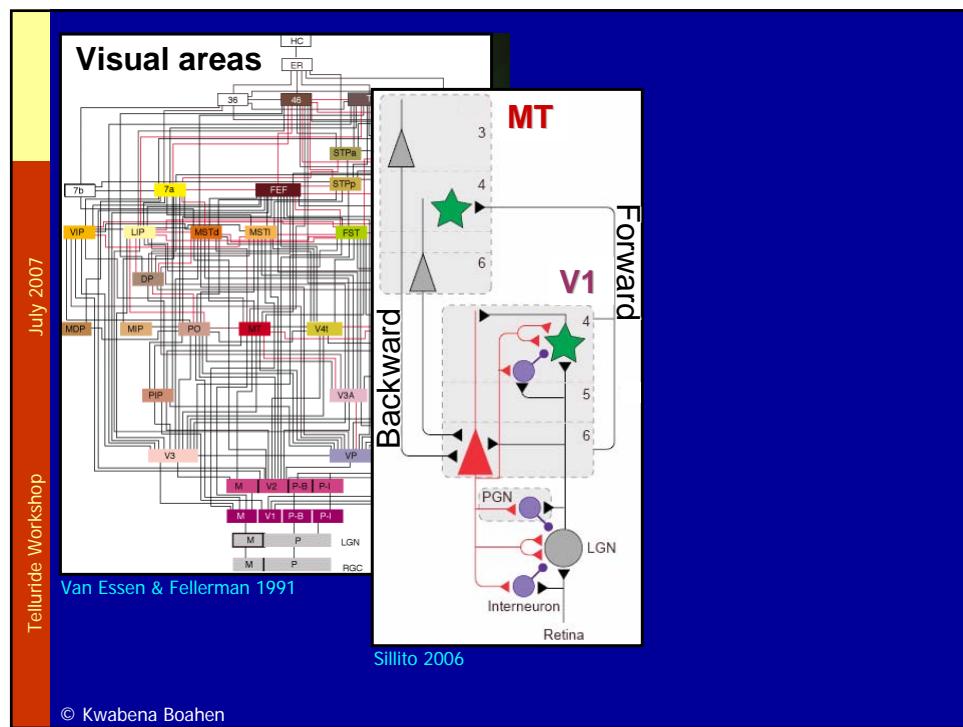
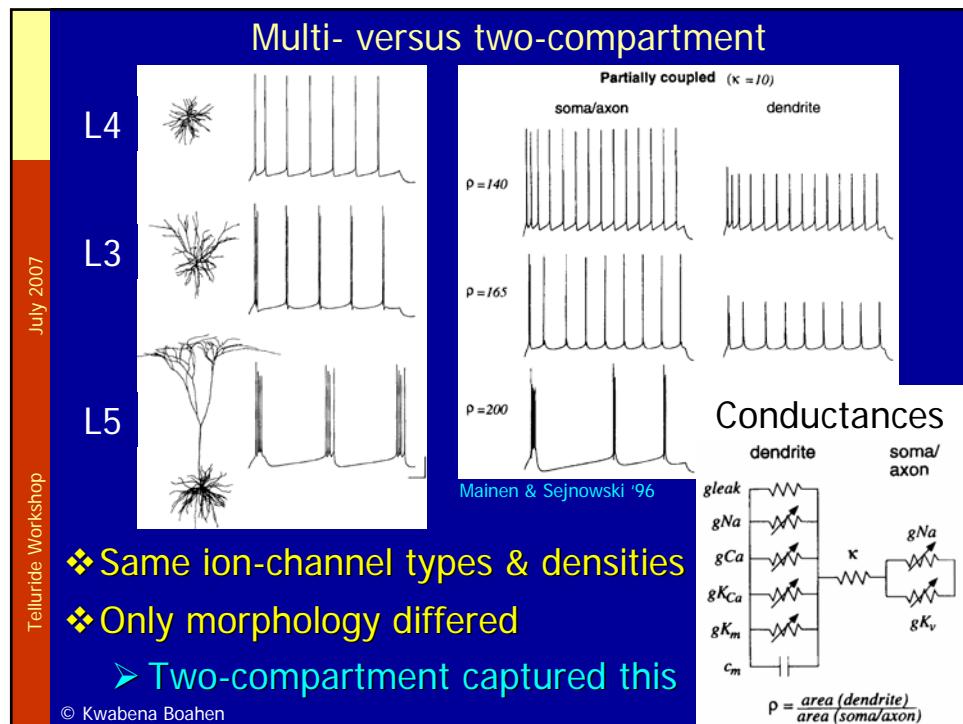












Summary: We have developed three enabling technologies for Neurogrid

Analog VLSI for real-time simulation

- ❖ Models ion-channel populations

Digital VLSI for programmability

- ❖ Specifies synaptic connections

Grid network for expandability

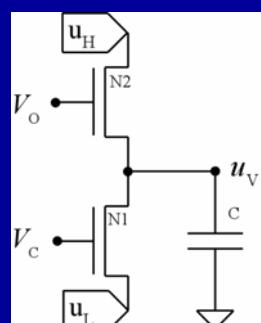
- ❖ Relays spikes from chip to chip



Putting supercomputers on neuroscientists' desks with real-time cortex-scale simulation is feasible in 5yrs.

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Circuit analysis



Assuming N1 is in saturation:

$$C \frac{du_V}{dt} = I_{ds0} e^{\kappa V_o} (e^{-u_V} - e^{-u_H}) - I_{ds0} e^{\kappa V_C} e^{-u_L}$$

$$u = e^{u_V - u_H}$$

$$\frac{du}{dt} = \frac{I_{ds0}}{C U_T} e^{\kappa V_o - u_H} (1-u) - \frac{I_{ds0}}{C U_T} e^{\kappa V_C - u_L} u$$

$$\Rightarrow \alpha(V_o) = \frac{I_{ds0}}{C U_T} e^{\kappa V_o - u_H} \text{ and } \beta(V_C) = \frac{I_{ds0}}{C U_T} e^{\kappa V_C - u_L}$$

Rates are exponentially dependent if V_o and V_c vary linearly with V_{mem}

- ❖ Slopes should be complementary

➢ V_o increases while V_c decreases for activation variable

➢ The reverse is true for an inactivation variable

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